# Software Used for Personal Identification and Recognition Based on Iris Patterns

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Abstract: In computer systems, there is an urgent need for accurate authentication techniques to prevent unauthorized access. Authentication is the process of confirming the correctness of the claimed identity. Many computers that store critical information are vulnerable to unauthorized access because of weak authentication. In some cases, the safety of the public can be at risk, such as in the case of a multi-billion dollar passenger-screening system defenceless against terrorists with forged security badges. Traditional authentication techniques such as the ubiquitous username / password method are inadequate for personal identity since they can only provide proof of possession and/or proof of knowledge. Only biometrics, the authentication of individuals using biological identifiers, can offer true proof of identity. Current research suggests that multimodal biometric systems, those that use more than one biological identifier, can improve the accuracy of biometric systems. This improvement in accuracy depends on critical factors in design, implementation and security. This paper explains each of these critical factors so the increase in accuracy observed in current research can be achieved in real-world applications.

Keywords: biometric, identification, verification, recognition, image acquisition, iris, fingerprint, face detection.

This article presents a software for recognition and identification of people by using iris patterns. The program's main window is presented below (Figure 1).



# Figure 1 The application's main window

Pressing on the button "Download the image", a window like the one in the next figure opens (Figure 2):

Open		? 🔀
Look in: 📴 BazeDeDate - IRIS 🗾 🗲 🖻 📸 📰 -	(320x280)	<u>a</u>
device2	Million Landson	
0000_000.bmp	A stat	AT THE REAL
	and the second s	- 145-3
File name: 001 1 1.bmp Open		
ries or type:  All (".bmp;".ico;".temt;".twmt)		

Figure 2 The download of an image

The finding button of the centers will set the centers of the pupil and the iris, at the end showing a dialog window (at such type) like this:



Figure 3

The dialog window with determination of the centers of the pupil and the iris

By pressing the button "Graphical transformations", the pupil's image is shown as below (Figure 4):



Figure 4 The image is presented in the left down side

In the lower down figure is presenting the second stage of the graphical transformations, in which the iris is segmented in more concentric circles (Figure 5).



Figure 5 The segmented image of the iris is in the right side

Also, tests have been realized in what concerning the 2D representation of an image read from a bitmap folder (BMP). In this way, was obtained the representation presented in the Figure 6.

A 3D representation is given in the lower down figure (Figure 7).



Figure 6 The 2D representation of image



Figure 7 The 3D representation of the image of an iris



From another angle, this representation is presented lower down (Figure 8):

Figure 8

The 3D representation of the iris image with making evident the pupil boundary

Also, was been calculated and inserted in a "workspace" of the Matlab the coefficients of the convolution of the Gabor filter.

The software is presented lower down (Figure 9):

I=imread('1.bmp');

figure, imshow(I);

for i=0:15

eval(['m' num2str(i) ';']);

end

```
mask0even = [
```

0.001080, 0.002584, 0.005095, 0.008272, 0.011065, 0.012191, 0.011065, 0.008272, 0.005095, 0.002584, 0.001080,

-0.003095, -0.007408, -0.014604, -0.023713, -0.031717, -0.034946, -0.031717, -0.023713, -0.014604, -0.007408, -0.003095,

-0.051930, -0.124293, -0.245024, -0.397863, -0.532158, -0.586329, -0.532158, -0.397863, -0.245024, -0.124293, -0.05130,

0.002255, 0.005397, 0.010640, 0.017277, 0.023108, 0.025460, 0.023108, 0.017277, 0.010640, 0.005397, 0.002255,

0.076591, 0.183318, 0.361381, 0.586800, 0.784869, 0.864765, 0.784869, 0.586800, 0.361381, 0.183318, 0.076591,

0.002255, 0.005397, 0.010640, 0.017277, 0.023108, 0.025460, 0.023108, 0.017277, 0.010640, 0.005397, 0.002255,

-0.051930, -0.124293, -0.245024, -0.397863, -0.532158, -0.586329, -0.532158, -0.397863, -0.245024, -0.124293, -0.051931,

-0.003095, -0.007408, -0.014604, -0.023713, -0.031717, -0.034946, -0.031717, -0.023713, -0.014604, -0.007408, -0.003095,

0.016185, 0.038738, 0.076365, 0.123999, 0.165854, 0.182737, 0.165854, 0.123999, 0.076365, 0.038738, 0.016185,

0.001080, 0.002584, 0.005095, 0.008272, 0.011065, 0.012191, 0.011065, 0.008272, 0.005095, 0.002584, 0.001080

];

mask0odd = [

-0.006750, -0.016157, -0.031850, -0.051717, -0.069174, -0.076216, -0.069174, - 0.051717, -0.031850, -0.016157, -0.006750,

0.002082, 0.004983, 0.009823, 0.015951, 0.021335, 0.023507, 0.021335, 0.015951, 0.009823, 0.004983, 0.002082,

0.031950, 0.076470, 0.150748, 0.244781, 0.327404, 0.360732, 0.327404, 0.244781, 0.150748, 0.076470, 0.031950,

-0.003364, -0.008051, -0.015872, -0.025772, -0.034471, -0.037980, -0.034471, -0.025772, -0.015872, -0.008051, -0.003364,

-0.069501, -0.166347, -0.327927, -0.532478, -0.712211, -0.784711, -0.712211, -0.532478, -0.327927, -0.166347, -0.069501,

0.069501, 0.166347, 0.327927, 0.532478, 0.712211, 0.784711, 0.712211, 0.532478, 0.327927, 0.166347, 0.069501,

0.003364, 0.008051, 0.015872, 0.025772, 0.034471, 0.037980, 0.034471, 0.025772, 0.015872, 0.008051, 0.003364,

-0.031950, -0.076470, -0.150748, -0.244781, -0.327404, -0.360732, -0.327404, -0.244781, -0.150748, -0.076470, -0.031950,

-0.002082, -0.004983, -0.009823, -0.015951, -0.021335, -0.023507, -0.021335, -0.015951, -0.009823, -0.004983, -0.002082,

0.006750, 0.016157, 0.031850, 0.051717, 0.069174, 0.076216, 0.069174, 0.051717, 0.031850, 0.016157, 0.006750

];

figure('Name','Even Gabor filter of 0 degree','NumberTitle','off'),imshow(conv2(I,mask0even));

figure('Name','Filtru Gabor impar de ordinul 0','NumberTitle','off'),imshow(conv2(I,mask0odd));

In this way there have been calculated 15 coefficients of convolution of the Gabor filter. The results of the convolution with the Gabor filter are presented lower down



Figure 9 The even Gabor even of 0 degree

Figure 10 The Odd Gabor Filter of 0 degree



It is observing that the angles of the representation differ at each filtration

Also, it had been realized a program for detection (,,edge-detection") by using different algorithms. The program is presented below:

function test();

imagine=imread('ochi.bmp');

figure('Name','Sobel','NumberTitle','off');

imshow(edge(imagine,'sobel'));

figure('Name','Canny','NumberTitle','off');

imshow(edge(imagine,'canny'));

figure('Name','Prewitt','NumberTitle','off');

imshow(edge(imagine,'prewitt'));
figure('Name','Roberts','NumberTitle','off');
imshow(edge(imagine,'roberts'));
figure('Name','Zero cross','NumberTitle','off');
imshow(edge(imagine,'zerocross'));
figure('Name','Laplacian of Gaussian','NumberTitle','off');
imshow(edge(imagine,'log'));
The edge-detection results are:



Figure 15 Initial image



Figure 16. Roberts

Figure 17. Sobel



Figure 18. Zero crossin



Figure 19. Gaussian's Laplacian



Figure 20. Prewitt

Figure 21. Canny

It was observed the fact that edge detection by using Canny methos leads to the finding of more details, but this method can't be used in real-time applications because its computational time is very big (about 2 seconds for the presented image).

Differences between Canny and Sobel's filters (that has 2 filtering capacities – horizontally and vertically) are presented in the next figures.



Figure 22 Initial image



Figura 23 Median filtered image



Figure 24 Canny

Figure 25 Horizontally Sobel



Figure 26 Vertically Sobel

The MatLab source code is: fisier='1.bmp'; SobelX=[-1 0 1;-2 0 2;-1 0 1]; SobelY=[-1 -2 -1;0 0 0; 1 2 1]; MexHat=[0 0 -1 0 0; 0 -1 -2 -1 0; -1 -2 16 -2 -1; 0 -1 -2 -1 0; 1 0 -1 0 0];

% programul principal

%fisier=inputdlg('Image:','Fisier'); %fisier=char(fisier); I=imread(fisier); I=imresize(I,[min(size(I)) min(size(I))],'bicubic'); figure('NumberTitle','off','Name','1 - Imaginea initiala'),imshow(I); % etape 1 I=medfilt2(I); figure('NumberTitle','off','Name','2 - Imaginea filtrata median'),imshow(I); % etape 2 %I=rgb2gray(I); % etape 3 ImgCan=edge(I,'canny'); figure('NumberTitle','off','Name','3 - Canny'),imshow(ImgCan); % etape 4 ImgSobelX=conv2(I,SobelX); figure('NumberTitle','off','Name','4 - Sobel X'),imshow(ImgSobelX); ImgSobelY=conv2(I,SobelY); figure('NumberTitle','off','Name','4 - Sobel Y'),imshow(ImgSobelY); arct =atan(ImgSobelY/ImgSobelX); res=1; %------Fin------

Below will be presented the Gabor filters and the MatLab programs.

```
%
%
% 1-2
sigma=0.1;
kx=4.2*2*pi;
dx=0.004;
nx=128;
x = ((-nx/2+1):1:nx/2)*dx;
for i=1:length(x)
  gse(i)=(1/(sqrt(2*pi)*sigma))*exp((-x(i)*x(i))/(2*sigma*sigma))*cos(kx*x(i));
  gso(i) = (1/(sqrt(2*pi)*sigma))*exp((-x(i)*x(i))/(2*sigma*sigma))*sin(kx*x(i));
end
figure('Name','Filtru Gabor 1-D par','NumberTitle','off');
plot(x,gse),title('Filtru Gabor 1-D par'),xlabel('x'),ylabel('gse(x)');
figure('Name','Filtru Gabor 1-D impar','NumberTitle','off');
plot(x,gso),title('Filtru Gabor 1-D impar'),xlabel('x'),ylabel('gso(x)');
```

# % 3-4

sigmat=0.031;

kt=8\*2\*pi;

dt=0.002;

nt=128;

t=((-nt/2+1):1:nt/2)\*dt;

for i=1:length(t)

fte(i) = (1/(sqrt(2\*pi)\*sigmat))\*exp((-t(i)\*t(i))/(2\*sigmat\*sigmat))\*cos(kt\*t(i));

```
fto(i) = (1/(sqrt(2*pi)*sigmat))*exp((-t(i)*t(i))/(2*sigmat*sigmat))*sin(kt*t(i));
```

end

figure('Name','Camp receptiv temporal 1-D pentru functii de transfer Gabor pare','NumberTitle','off');

plot(t,fte),title('Camp receptiv temporal 1-D pentru functii de transfer Gabor pare'),xlabel('t'),ylabel('fte(t)');

figure('Name','Camp receptiv temporal 1-D pentru functii de transfer Gabor impare','NumberTitle','off');

plot(t,fto),title('Camp receptiv temporal 1-D pentru functii de transfer Gabor impare'),xlabel('t'),ylabel('fto(t)');

#### % 5-6

for i=1:length(x)

for j=1:length(t)

ge(i,j)=gse(i)\*fte(j);

geminus(i,j)=gse(i)\*fte(j)+gso(i)\*fto(j);

end

end

meshc(x,t,ge), title('Profil spatiotemporal 3D al functiei ge(x,t)=gse(x)\*fte(t)'), xlabel('x'), ylabel('t'), zlabel('ge(x,t)');

meshc(x,t,geminus),title('Profil spatiotemporal 3D al functiei ge-(x,t)=gse(x)\*fte(t)+gso(x)\*fto(t)'),xlabel('x'),ylabel('t'),zlabel('ge(x,t)');



Figure 27 Even 1D Gabor filter





Figure 29a Receptive field for even 1D Gabor transfer functions



Figure 29b Receptive field for odd 1D Gabor transfer functions



Figure 30 3D spatial-temporal profile for ge-(x,t) function



Figure 31 3D spatial-temporal profile for ge(x,t) function

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